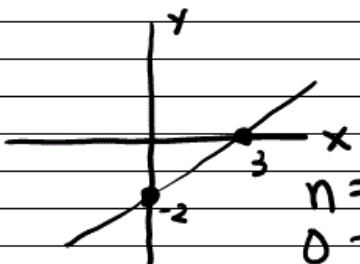
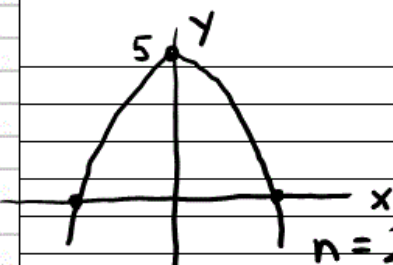


Name: _____ Page Number: 1
 Class: Math 1301 Date: 4-17-13
 Topic/Section: _____
 Section Polynomial Functions
4.1, 4.2

Examples and Vocabulary	Notes/Comments/Questions
<u>Fundamental Properties of Polynomial Functions</u>	
① Formula can be written as $y = f(x) = a_n x^n + a_{n-1} x^{n-1} + \dots + a_1 x + a_0$	
② n is called the <u>degree</u> a_n is called the <u>leading coefficient</u> $a_0 = c$ is called the <u>constant coefficient</u>	
③ Number of x-int. is no more than the degree	
④ Number of turning pts. is no more than $n-1$	
⑤ y-int. = constant weff.	

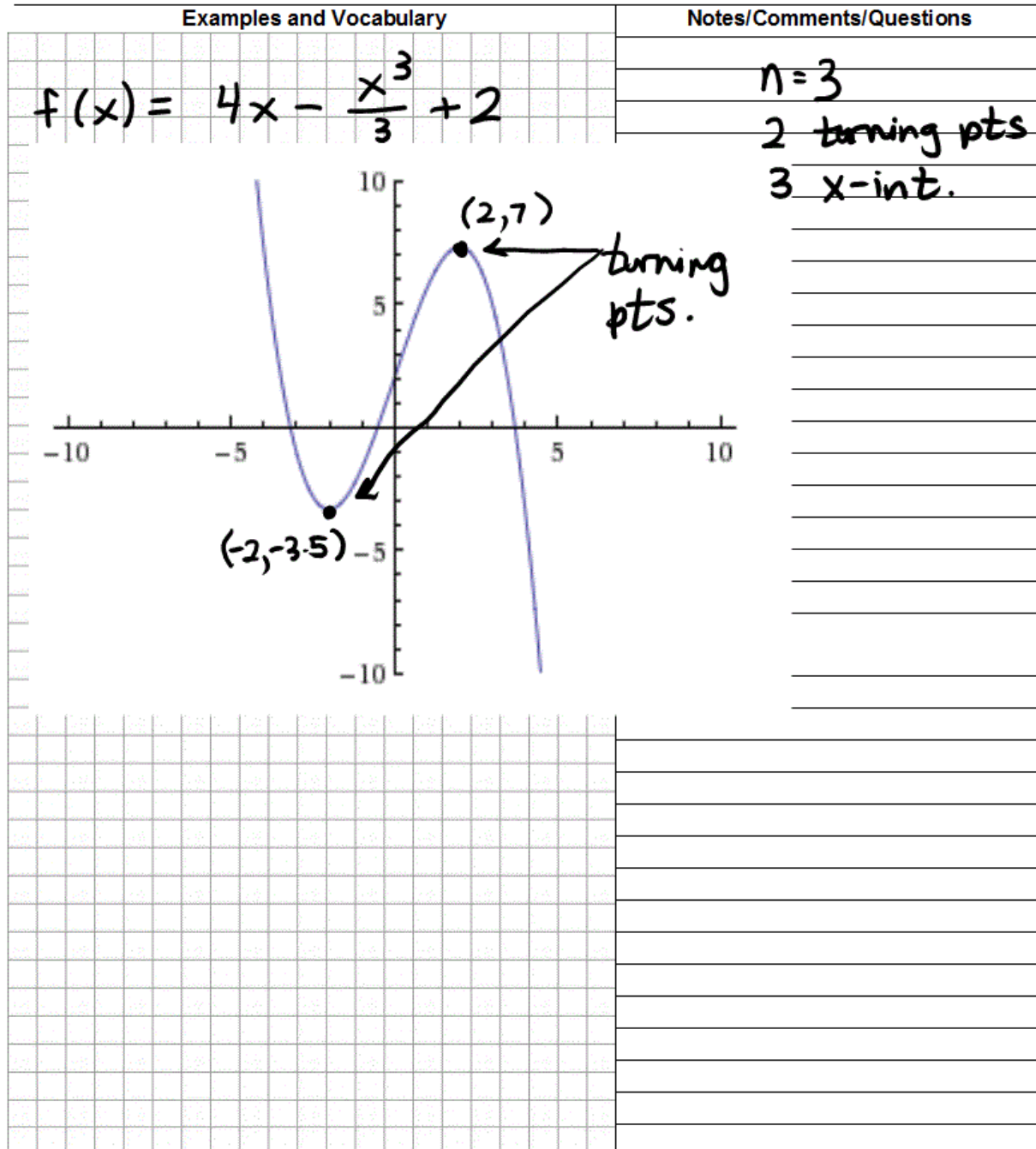
Name: _____ Page Number: 2
 Class: _____ Date: 4-17-13
 Topic/Section: _____

Examples and Vocabulary	Notes/Comments/Questions
⑥ domain = all real numbers	
⑦ the graph is a smooth, unbroken curve	
① Which of the following functions are polynomials?	
a. $f(x) = \frac{2}{3}x - 2$ ✓ $n = 1$ $a_1 = \frac{2}{3}$ $a_0 = -2$	 $n = 1$ 0 turning pt 1 x-int.
b. $f(x) = 5 - \frac{1}{2}x^2$ ✓ $n = 2$ $a_2 = -\frac{1}{2}$ $a_0 = 5$	 $n = 2$ 1 turning pt 2 x-int.
c. $f(x) = 4x - \frac{x^3}{3} + 2 = 4x - \frac{1}{3}x^3 + 2$ ✓ $n = 3$ $a_3 = -\frac{1}{3}$ $a_0 = 2$	

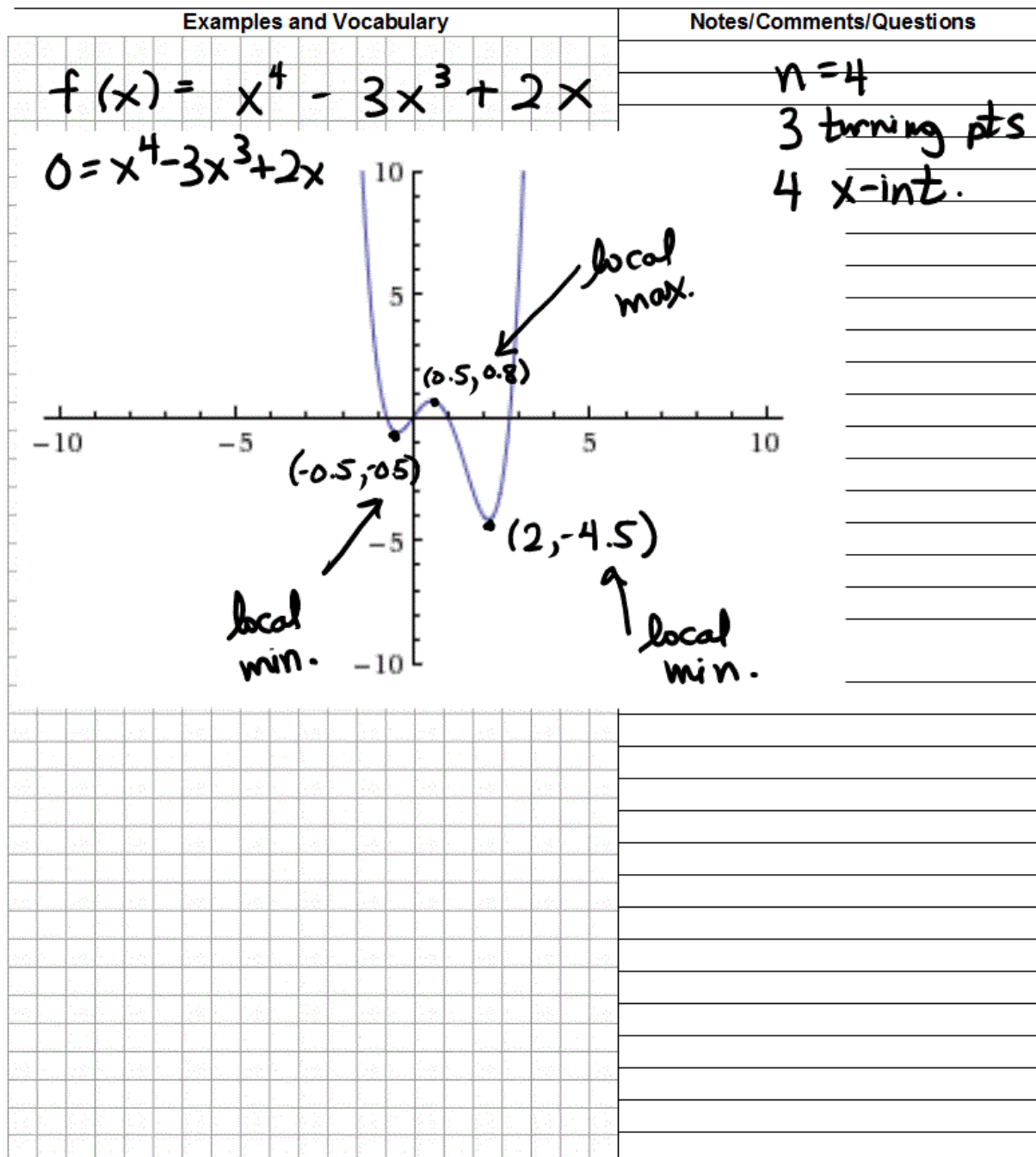
Name: _____ Page Number: 3
 Class: Math 1301 Date: 4-17-13
 Topic/Section: _____

Examples and Vocabulary	Notes/Comments/Questions
d. ✓ $f(x) = x^4 - 3x^3 + 2x + 0$ $n = 4$ $a_4 = 1$ $a_0 = 0$	
e. ✓ $f(x) = x^5 + \frac{5}{2}x^4 - \frac{5}{2}x^3 - 5x^2 - 1$ $n = 5$ $a_5 = 1$ $a_0 = -1$	
f. $f(x) = 2x - \frac{1}{x^2} = 2x - x^{-2}$ x	
g. $f(x) = 2\sqrt{x} - x^3$ x	
✓ h. $f(x) = \sqrt{2}$ $n = 0$ $a_0 = \sqrt{2}$	i. ✓ $g(x) = 0$

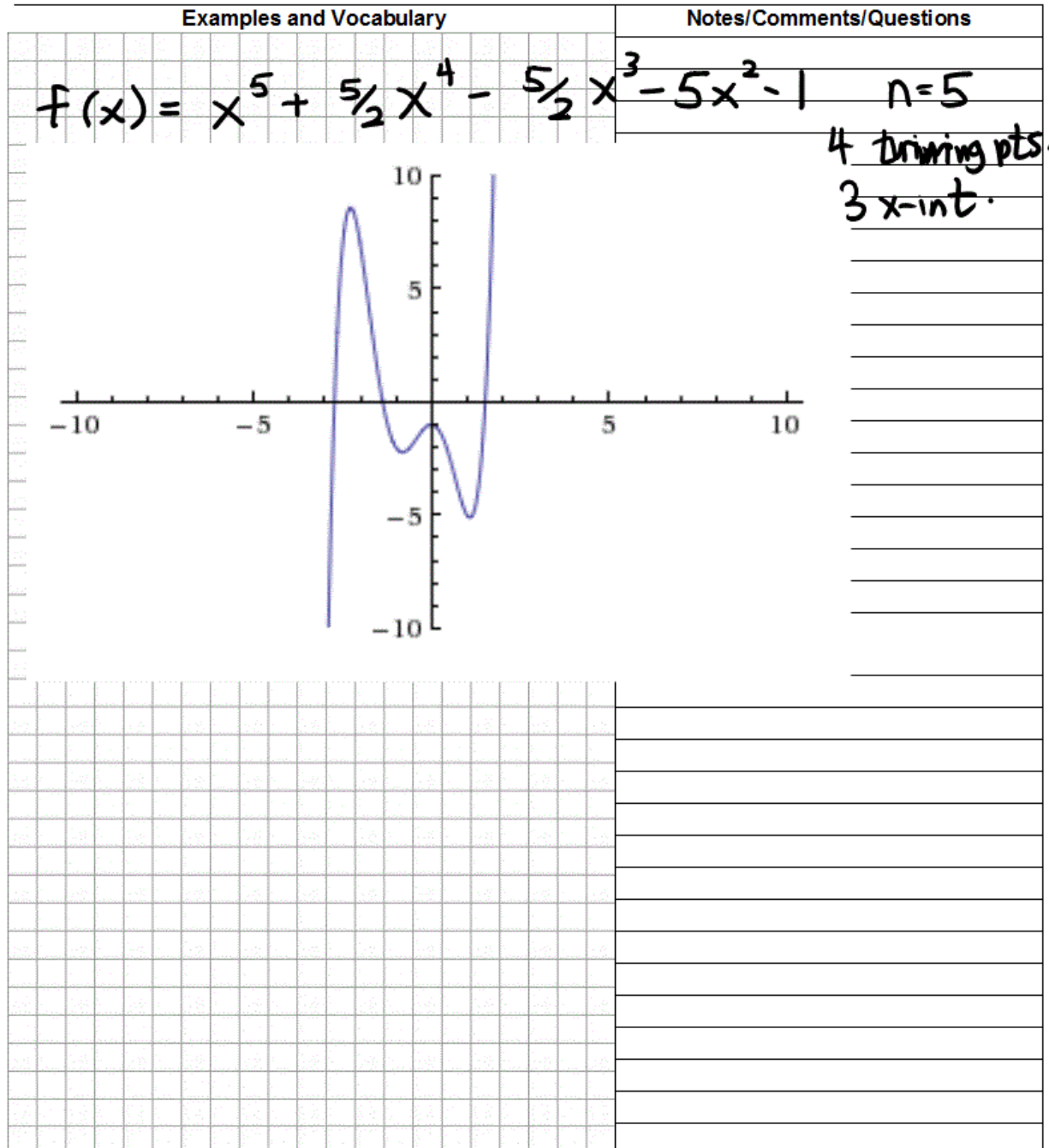
Name: _____ Page Number: 4
 Class: _____ Date: 4-17-13
 Topic/Section: _____



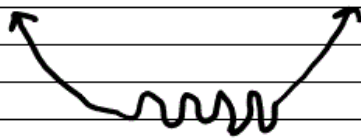
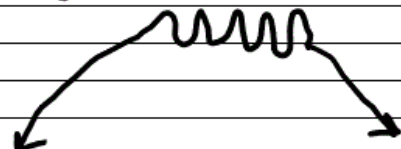
Name: _____ Page Number: 5
 Class: _____ Date: 4-17-13
 Topic/Section: _____



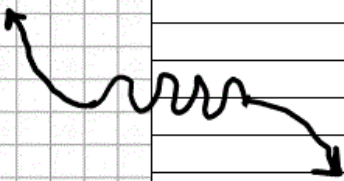
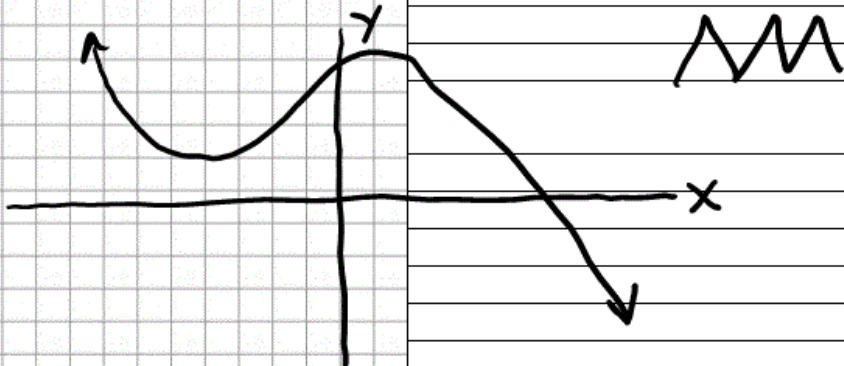
Name: _____ Page Number: 6
 Class: _____ Date: 4-17-13
 Topic/Section: _____



Name: _____ Page Number: 7
 Class: _____ Date: 4-17-13
 Topic/Section: _____

Examples and Vocabulary	Notes/Comments/Questions
<u>End Behavior of Polynomial Functions</u>	
a. If n is even and $a_n > 0$, then the graph rises on the "far" left and "far" right.	
b. If n is even and $a_n < 0$, then the graph falls on the "far" left and "far" right.	
c. If n is odd and $a_n > 0$, then the graph falls on the "far" left and rises on the "far" right.	

Name: _____ Page Number: _____
 Class: _____ Date: _____
 Topic/Section: _____

Examples and Vocabulary	Notes/Comments/Questions
d. If n is odd and $a_n < 0$, then the graph rises on the "for" left and falls on the "for" right. 	
② For the function graphed here: 	
a. Could this be the graph of a polynomial? Yes	

Name: _____ Page Number: 8
 Class: _____ Date: 4-17-13
 Topic/Section: _____

Examples and Vocabulary	Notes/Comments/Questions
b. Is the degree n odd or even?	Odd
c. Is the leading coeff. positive or negative?	$a_n < 0$
d. What is the minimum possible degree?	3